

**Remarks:** See §6.3.1, page 219 till 223 and example 2 on page 223

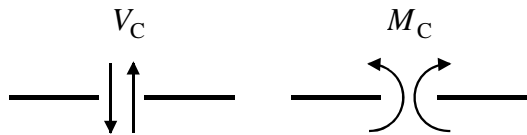
Replace the distributed load by its resultant on the part where the equilibrium is taken in consideration.

After calculating the support reactions the interaction forces in C follow from the equilibrium of one of the parts.

Between rigidly connected parts you've three interaction forces:

- A force in line with the beam. From the horizontal equilibrium it follows that this force is always zero here.
- A force perpendicular to the beam, called  $V_C$  here.
- A moment, called  $M_C$  here.

The positive directions for  $V_C$  and  $M_C$



### Answers:

1a/b.  $A_h = 0$ ;  $A_v = 10 \text{ kN } (\uparrow)$ ;  $B_v = 2 \text{ kN } (\uparrow)$

1c.  $V_C = -2 \text{ kN}$ ;  $M_C = +6 \text{ kNm}$

2a/b.  $A_h = 0$ ;  $A_v = 8 \text{ kN } (\uparrow)$ ;  $B_v = 4 \text{ kN } (\uparrow)$

2c.  $V_C = -4 \text{ kN}$ ;  $M_C = +12 \text{ kNm}$

3a/b.  $A_h = 0$ ;  $A_v = B_v = 18 \text{ kN } (\uparrow)$ ;

3c.  $V_C = -2 \text{ kN}$ ;  $M_C = +22 \text{ kNm}$

4a/b.  $A_h = 0$ ;  $A_v = 21 \text{ kN } (\uparrow)$ ;  $B_v = 24 \text{ kN } (\uparrow)$

4c.  $V_C = +1 \text{ kN}$ ;  $M_C = +31 \text{ kNm}$

5a/b.  $A_h = 0$ ;  $A_v = 16 \text{ kN } (\uparrow)$ ;  $B_v = 16 \text{ kN } (\downarrow)$

5c.  $V_C = -8 \text{ kN}$ ;  $M_C = 0$

6a/b.  $A_h = 0$ ;  $A_v = 18 \text{ kN } (\uparrow)$ ;  $B_v = 36 \text{ kN } (\uparrow)$

6c.  $V_C = +14 \text{ kN}$ ;  $M_C = +50 \text{ kNm}$